| Course name                                  | Computational  | Fluid Dyna       | amics C        | ode              | Credit<br>points | 3                |
|--|--|------------------|----------------|------------------|------------------|------------------|
| Language of instruction                      | English  |                  |                |                  |                  |                  |
| Programme                                    | Computer Modelling and Simulation (CMS), Intelligent Energy (IE), Biotechnology for Environmental Protection (BI), Bussiness and Technology (BT)*  |                  |                |                  |                  |                  |
| Type of studies                              | BSc studies*   |                  |                |                  |                  |                  |
| Unit running the programme                   | Institute of Thermal Machinery   |                  |                |                  |                  |                  |
| Course coordinator and academic teachers     | Andrzej Bogusławski,   | Assoc. Prof., Da | ariusz Asendry | rch, Ph.D., Artu | r Tyliszczak , P | h.D              |
| Form of classes and number of hours          | Semester Lec.  | Tut.             | Lab.           | Proj.            | Sem.             | Credit<br>points |
|  | VII 30E  |                  | 30             |                  |                  | 3                |
| Learning outcomes<br>Prerequisites (courses) | <sup>**</sup> The outcome of the course is the ability of the student to understand the basics of<br>numerical approach to fluid dynamics problems, starting with simple examples of the<br>flow governed by ordinary differential equations like free falling body in a viscous<br>medium or motion of elastically fixed wing. Then fundamentals of potential flows are<br>discussed and numerical approach including conformal method and panel methods.<br>Finally an introduction to finite differences is presented using one-dimensional<br>convection-diffusion equation as an example. The discretization in space is shown<br>leading to the set of linear algebraic equations. The simplest numerical approaches to<br>linear systems are discussed. The application of finite difference method is shown on<br>two-dimensional problem of potential flow in complex geometry cavity and compressible<br>one-dimensional flow in converging-diverging nozzle |                  |                |                  |                  |                  |
| Prerequisites<br>(mathematical tools)        | Basic knowledge of differential and integration calculus, basic knowledge on ordinary<br>and partial differential equations, concept of energy, work and heat,   |                  |                |                  |                  |                  |
| Course description                           | LECTURE:   |                  |                |                  |                  |                  |
|  | <b>Numerical methods for ordinary differential equations:</b> existence and uniqueness of solution, classification of solution methods – single and multi-step methods, explicit and implicit methods, numerical errors, Taylor series expansion approach, Runge-Kutta methods, multi-step methods – Adams-Bashforth and Adams Moulton, stability and convergence  |                  |                |                  |                  |                  |
|  | Numerical methods for potential flows: concept of potential flows, basic types of potential flows, complex potential, superposition principle, conformal mappin Joukowsky transformation, Christoffel-Schwarz method, source panel method, vorte   |                  |                |                  |                  | 1 mapping,       |

panel method

|   | panel method   |  |  |  |
|---|--|--|--|--|
|   | <b>Finiet difference method in Computer Fluid Dynamics:</b> Classification of second order partial differential equations, finite differences, numerical solution of linear systems – direct and iterative methods, solution of one-dimensional convection-diffusion equation – upwind corrected schemes, Lax-Wendroff and MacCormack methods  |  |  |  |
|   | TUTORIALS:Not applicable   |  |  |  |
|   | LABORATORY:<br><b>Application of numerical methods for ODE</b> – development of C- code solving ODE<br>with single - and multistep methods<br><b>Examples of applications of ODE in fluid dynamics:</b> Solution of the set of equations of<br>motion for free falling body and elastically fixed wing   |  |  |  |
|   | <b>Numerical methods for potential flows:</b> development of the C-code for Joukowsky transformation leading to pressure distribution and lift force for Joukowsky aerofoil, Development of the C-code for source panel method - calculation of the flow field around a set of circular cylinders, development of the C-code for the vortex panel method applied to symmetric aerofoil   |  |  |  |
|   | <b>Finiet difference method in Computer Fluid Dynamics:</b> development of the C-code solving with finite differences the potential flow in a complex geometry cavity, application of the Lax-Wendroff and/or MacCormack scheme to one-dimensional flow through the converging-diverging nozzle  |  |  |  |
|   | PROJECT: Not applicable<br>SEMINAR: Not applicable   |  |  |  |
| Form of assessment  | Exam   |  |  |  |
| Basic reference materials<br>Other reference<br>materials | <ul> <li>***</li> <li>1. Wesseling P., Principles of Computational Fluid Dynamics, Springer, 2001</li> <li>2. Ferziger, J.H., Peric, M., Computational Methods for Fluid Dynamics, Spinger, 2002</li> <li>3. Chow : Introduction to Computational Fluid Mechanics,</li> <li>4. Wendt F.W.: Computational Fluid Dynamics, Springer-Verlag, 1992</li> <li>5. Stroustrup B.: The C++ Programming Language,</li> <li>6. Bogusławski A., Tyliszczak A., Introduction to CFD, Politechnika Częstochowska, skrypt, 2009</li> <li>For Polish-speaking students:</li> </ul> |  |  |  |
|   | rdinator abogus@imc.pcz.czest.pl; darek@imc.pcz.czest.pl; atyl@imc.pcz.czest.pl  |  |  |  |

| and academic teachers                                   | abogus@imc.pcz.czest.pi; darek@imc.pcz.czest.pi; atyi@imc.pcz.czest.pi |  |  |  |  |
|---|--|--|--|--|--|
| Average student workload<br>(teaching hours + individ.) | 4 teaching hours +3 hours of individual work per week                  |  |  |  |  |
| Remarks:  |  |  |  |  |  |
| Updated on: 12.06. 2009                                 |  |  |  |  |  |